

Reducing memory consumption of ProVerif with hash consing techniques

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07 September 2022

Verification of protocols



(a) The Needham-Shroeder protocol

$$\begin{aligned} A &\longrightarrow B & : & \text{enc}((A, n_A), \text{pk}(B)) \\ B &\longrightarrow A & : & \text{enc}((n_A, n_B), \text{pk}(A)) \\ A &\longrightarrow B & : & \text{enc}(n_B, \text{pk}(B)) \end{aligned}$$

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General overview of ProVerif

- Symbolic approach: Dolev-Yao model

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- Three main types of security properties handled: *secrecy*, *authenticity* and *equivalence*

Horn clauses

Example of Horn clause

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Figure 4: Syntax of Horn clauses

$M, N ::=$

x

$f(M_1, \dots, M_n)$

terms

variable

function application

Horn clauses

Example of Horn clause

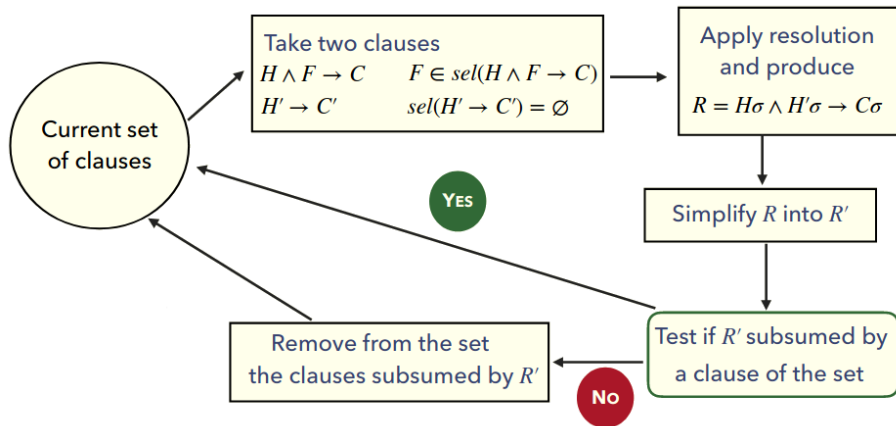
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$M, N ::=$	terms
x	variable
$f(M_1, \dots, M_n)$	function application
$F ::= p(M_1, \dots, M_n)$	fact
$R ::= F_1 \wedge \dots \wedge F_n \Rightarrow F$	Horn clause

Saturation process

Figure 5: Summary of the saturation procedure



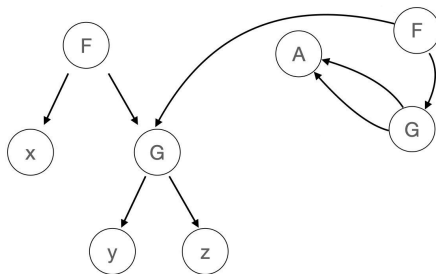
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Figure 6: Example of term-graph representing t_1 and t_2



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```
type hcterm = {  
  
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```

```
type hcterm_link =  
  | HCTerm of hcterm  
  | HCVisited of bool  
  | HCNoLink  
  | (* ... *)
```

Databases of Horn clauses

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- Several databases of Horn clauses:
 - Solved** clauses: $\text{sel}(H \Rightarrow C) = \emptyset$
 - Unsolved** clauses: $F \in \text{sel}(H \Rightarrow C)$

Syntactic unification

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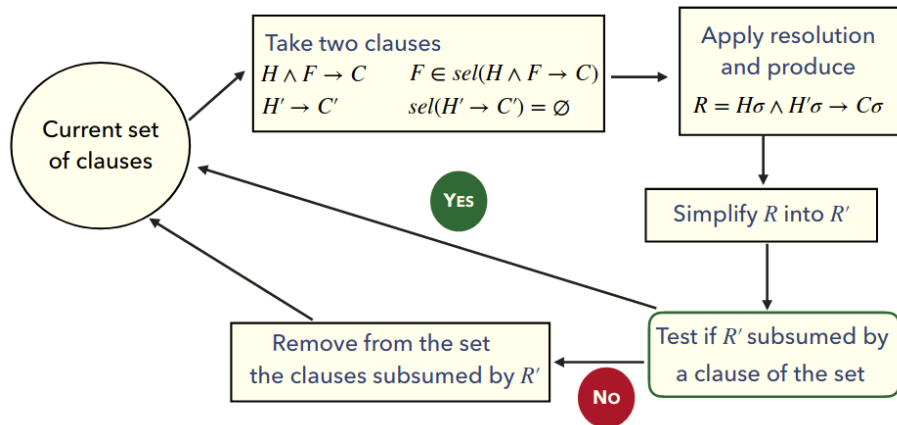
- No **occur-check**
- First step: unification without care of cycles
- Second step: cycle detection
- At most one function call on each node

Benchmarks

Type of query	Version of ProVerif				Gain	
	2.04		2.04_h1			
	Speed	Memory	Speed	Memory	Speed	Memory
Key secrecy & Uniqueness	2 h 48 min	162 GB	2 h 59 min	5.6 GB	0.9	29
Authentication	2 h 51 min	141 GB	3 h 16 min	22 GB	0.9	6.4
Secrecy & Authenticity	1 h 21 min	162 GB	1 h 12 min	2.4 GB	1.1	67.5

Conclusion and future work

Figure 7: Summary of the saturation procedure



Unsolved problem

Problem

Let $t_1, \dots, t_n \in \mathcal{T}(\mathcal{X}, \mathcal{F})$ be n terms. Find the set of bijective renaming functions $\{\rho_i\}_{i=1}^n$ that minimises the quantity

$$\text{Card} \left(\bigcup_{i=1}^n \text{Subterms}(t_i \rho_i) \right).$$

Thank you for your attention!